

Physics exam solution

1-The **absolute error** of a measured quantity G is the difference δG between the experimental value G_m and a reference value that can be considered as exact, G_e . **Absolute uncertainty** This is the maximum error that can be committed in the evaluation.

2-The general form is :

Absolute uncertainty $G_{ex} = G_m \pm \Delta G$

Relative uncertainty $\Delta G/G$

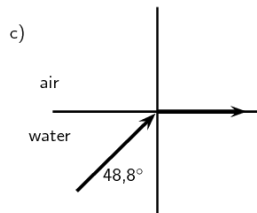
The absolute uncertainty on (f) is generally expressed in the form:

$$\Delta f = \left| \frac{\partial f}{\partial x} \right| \Delta x + \left| \frac{\partial f}{\partial y} \right| \Delta y + \left| \frac{\partial f}{\partial z} \right| \Delta z$$

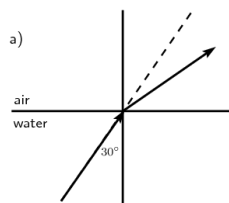
3-

Exercise1

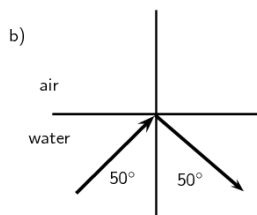
The critical angle for water is $48,8^\circ$



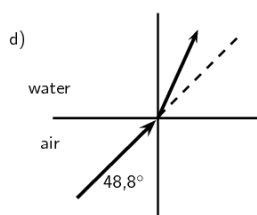
For incident angles smaller than $48,8^\circ$ refraction occurs (ray is bent away from the normal).



For incident angles greater than $48,8^\circ$ total internal reflection will occur.



Refraction towards the normal (air is less dense than water).



Exercise 2

$$f = -4 \text{ cm}, d_o = -5 \text{ cm}, h_o = 1.5 \text{ cm}.$$

1- The distance, the magnification and the size of image.

1-

Distance of the Image (

$$\frac{1}{f} = \frac{1}{v} + \frac{1}{u} \implies \frac{1}{-4} = \frac{1}{v} + \frac{1}{-5}$$

$$v = -20 \text{ cm} \text{ (The image is 20 cm in front of the mirror).}$$

Magnification

$$m = -\frac{v}{u} = -\frac{-20}{-5} = -4$$

Size of the Image

$$h_i = m \times h_o = -4 \times 1.5 = -6 \text{ cm}$$

2-Ray Diagram:

3- Real Inverted:

Ex3

$$f = -6 \text{ cm}, d_o = -4 \text{ cm}, h_o = 2.25 \text{ cm}.$$

1-

image position

$$\frac{1}{f} = \frac{1}{v} - \frac{1}{u}$$

$$\frac{1}{v} = \frac{1}{-6} + \frac{1}{-4} = -\frac{2}{12} - \frac{3}{12} = -\frac{5}{12}$$

$$v = -\frac{12}{5} = -2.4 \text{ cm}$$

the magnification

$$m = \frac{v}{u} = \frac{-2.4}{-4} = +0.6$$

2- ray diagram

3-

Size: The height of the image is

$$h_i = m \times h_o = 0.6 \times 2.25 = 1.35 \text{ cm.}$$

Nature: the image is virtual and erect.